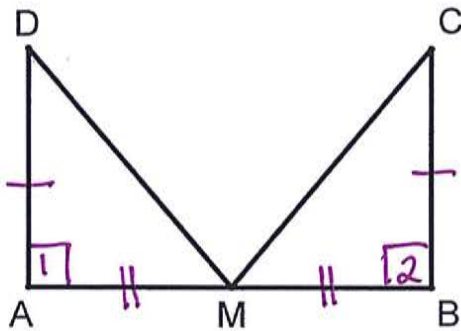


Unit 5 Review – Triangle Congruence HONORS

1.

Given: $\overline{DA} \perp \overline{AB}$, $\overline{CB} \perp \overline{AB}$, $\overline{DA} \cong \overline{CB}$, M is the midpoint of \overline{AB}

Prove: $\triangle ADM \cong \triangle BCM$



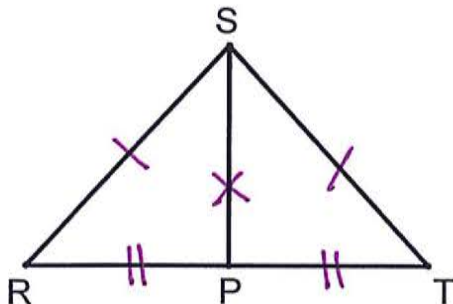
- S
- ① $\overline{DA} \perp \overline{AB}$, $\overline{CB} \perp \overline{AB}$
 $\overline{DA} \cong \overline{CB}$
 M is mdpt of \overline{AB}
 - ② $\angle 1$ & $\angle 2$ are rt \angle s
 - ③ $\angle 1 \cong \angle 2$
 - ④ $\overline{AM} \cong \overline{BM}$
 - ⑤ $\triangle ADM \cong \triangle BCM$

- R
- ① Given
 - ② \perp lines form rt \angle s
 - ③ All rt \angle s are \cong
 - ④ Mdpt creates 2 \cong segments
 - ⑤ SAS

2.

Given: $\overline{SR} \cong \overline{ST}$, $\overline{RP} \cong \overline{TP}$

Prove: $\triangle SRP \cong \triangle STP$



- S
- ① $\overline{SR} \cong \overline{ST}$
 $\overline{RP} \cong \overline{TP}$
 - ② $\overline{SP} \cong \overline{SP}$
 - ③ $\triangle SRP \cong \triangle STP$

- R
- ① Given
 - ② Reflexive
 - ③ SSS

3.

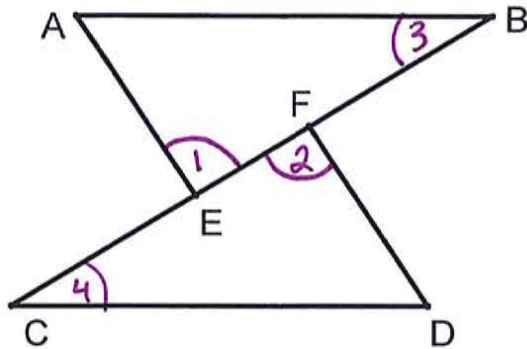
Given: \overline{CEFB} ,

$\overline{CF} \cong \overline{BE}$,

$\overline{AB} \parallel \overline{CD}$,

$\angle AEB \cong \angle DFE$

Prove: $\triangle ABE \cong \triangle DCF$



S

① \overline{CEFB} , $\overline{CF} \cong \overline{BE}$
 $\overline{AB} \parallel \overline{CD}$
 $\angle AEB \cong \angle DFE$

② $\angle 3 \cong \angle 4$

③ $\triangle ABE \cong \triangle DCF$

R

① Given

② If 2 || lines are cut by a transversal, alt int \angle s \cong

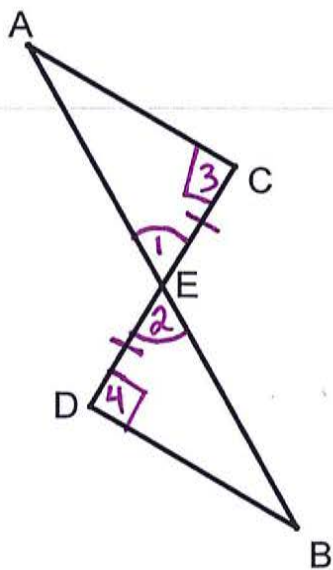
③ ASA

4.

Given: \overline{AB} and \overline{CD} intersect at E, \overline{BA} bisects \overline{CD}

$\overline{CA} \perp \overline{CD}$, $\overline{BD} \perp \overline{CD}$

Prove: $\triangle ACE \cong \triangle BDE$



S

① \overline{AB} & \overline{CD} intersect at E
 \overline{BA} bisects \overline{CD}
 $\overline{CA} \perp \overline{CD}$, $\overline{BD} \perp \overline{CD}$

② E is mdpt of \overline{CD}

③ $\overline{CE} \cong \overline{DE}$

④ $\angle 1 \cong \angle 2$

⑤ $\angle 3$ & $\angle 4$ are rt \angle s

⑥ $\angle 3 \cong \angle 4$

⑦ $\triangle ACE \cong \triangle BDE$

R

① Given

② A seg bisector creates a mdpt

③ Mdpt creates 2 \cong segments

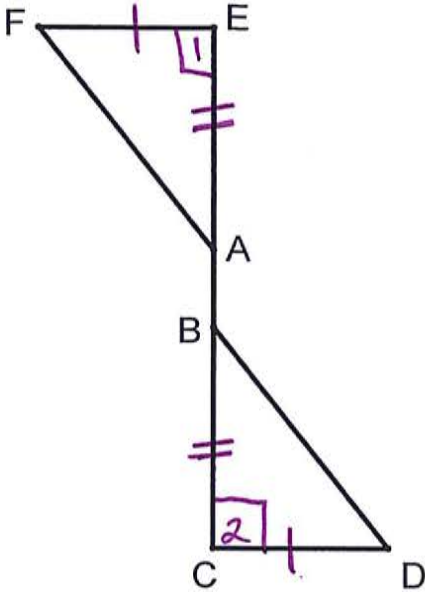
④ Vertical \angle s are \cong

⑤ \perp lines form rt \angle s

⑥ All rt \angle s are \cong

⑦ ASA

5.



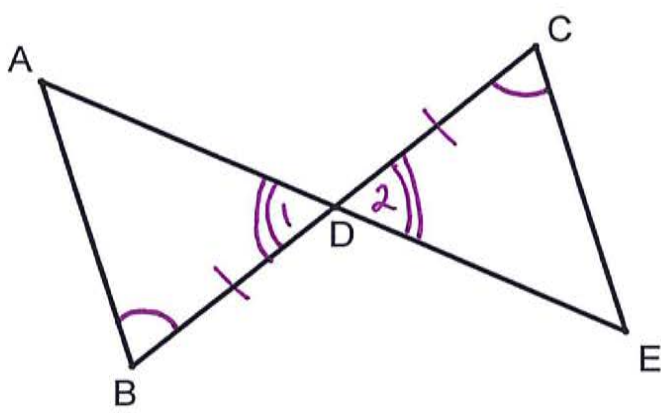
- S
- ① $\overline{FE} \cong \overline{DC}$, $\overline{EA} \cong \overline{CB}$
 $\overline{FE} \perp \overline{CE}$, $\overline{CD} \perp \overline{CE}$
 - ② $\angle 1$ & $\angle 2$ are rt \angle 's
 - ③ $\angle 1 \cong \angle 2$
 - ④ $\triangle FEA \cong \triangle DCB$

- R
- ① Given
 - ② \perp lines form rt \angle 's
 - ③ All rt \angle 's are \cong
 - ④ SAS

Given: $\overline{FE} \cong \overline{DC}$, $\overline{EA} \cong \overline{CB}$, $\overline{FE} \perp \overline{CE}$, $\overline{CD} \perp \overline{CE}$

Prove: $\triangle FEA \cong \triangle DCB$

6.



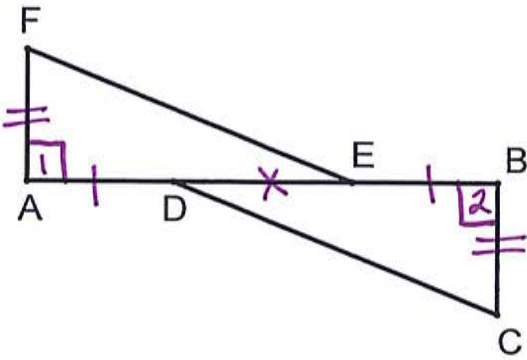
- S
- ① \overline{AE} bisects \overline{CB}
 $\angle C \cong \angle B$
 - ② D is mdpt of \overline{CB}
 - ③ $\overline{BD} \cong \overline{CD}$
 - ④ $\angle 1 \cong \angle 2$
 - ⑤ $\triangle ABD \cong \triangle ECD$

- R
- ① Given
 - ② Segment bisector creates a mdpt.
 - ③ Mdpt creates 2 \cong segments
 - ④ Vertical \angle 's are \cong
 - ⑤ ASA

Given: \overline{AE} bisects \overline{CB} at D, $\angle C \cong \angle B$

Prove: $\triangle ABD \cong \triangle ECD$

7.



Given: $\overline{AF} \perp \overline{AB}$, $\overline{CB} \perp \overline{AB}$, $\overline{AD} \cong \overline{BE}$,
 $\overline{AF} \cong \overline{BC}$

Prove: $\triangle AFE \cong \triangle BCD$ and $\overline{AF} \parallel \overline{BC}$

S

① $\overline{AF} \perp \overline{AB}$, $\overline{CB} \perp \overline{AB}$
 $\overline{AD} \cong \overline{BE}$, $\overline{AF} \cong \overline{BC}$

② $\angle 1$ & $\angle 2$ are rt \angle 's

③ $\angle 1 \cong \angle 2$

④ $\overline{DE} \cong \overline{ED}$

⑤ $\overline{AD} + \overline{DE} = \overline{BE} + \overline{ED}$
 $\therefore \overline{AE} \cong \overline{BD}$

⑥ $\triangle AFE \cong \triangle BCD$

⑦ $\overline{AF} \parallel \overline{BC}$

R

① Given

② \perp lines form rt \angle 's

③ All rt \angle 's are \cong

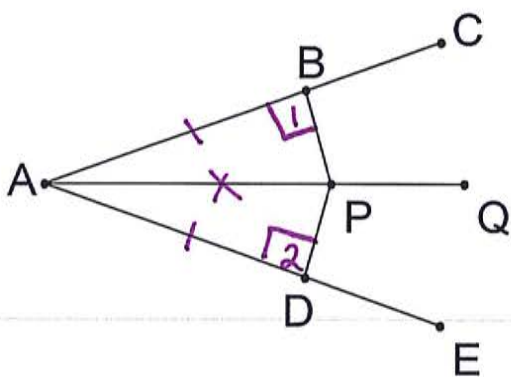
④ Reflexive

⑤ Addition

⑥ SAS

⑦ If Alt Int \angle 's are \cong ,
the lines are \parallel

8.



Given: $\overline{PB} \perp \overline{AC}$, $\overline{PD} \perp \overline{AE}$, $\overline{AB} \cong \overline{AD}$

Prove: $BP = DP$

S

① $\overline{PB} \perp \overline{AC}$, $\overline{PD} \perp \overline{AE}$
 $\overline{AB} \cong \overline{AD}$

② $\angle 1$ & $\angle 2$ are rt \angle 's

③ $\angle 1 \cong \angle 2$

④ $\overline{AP} \cong \overline{AP}$

⑤ $\triangle ABP$ & $\triangle ADP$ are rt Δ 's

⑥ $\triangle ABP \cong \triangle ADP$

⑦ $BP = DP$

R

① Given

② \perp lines form rt \angle 's

③ All rt \angle 's are \cong

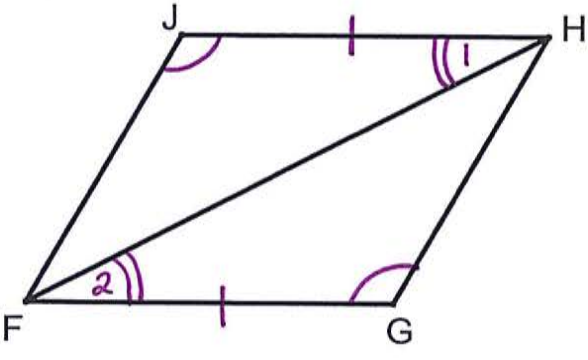
④ Reflexive

⑤ Rt Δ 's have 1 rt \angle

⑥ HL

⑦ Corresponding Parts of
Congruent Δ 's are =
in measure

9.

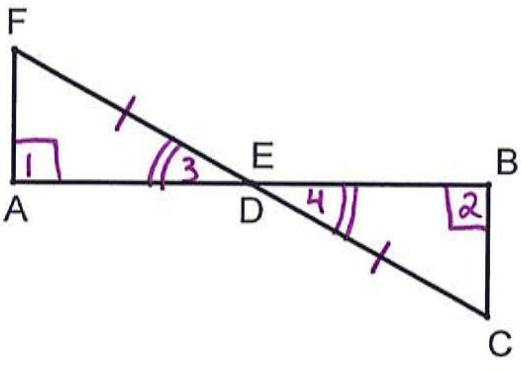


- S
- ① $m\angle J = m\angle G$
 $JH = GF$
 $\overline{JH} \parallel \overline{FG}$
 - ② $\angle 1 \cong \angle 2$
 - ③ $\triangle JHF \cong \triangle GFH$

- R
- ① Given
 - ② IF 2 \parallel lines are cut by a transversal, alt int \angle s \cong
 - ③ SAS

Given: $m\angle J = m\angle G, JH = GF, \overline{JH} \parallel \overline{FG}$
 Prove: $\triangle JFH \cong \triangle GFH$

10.



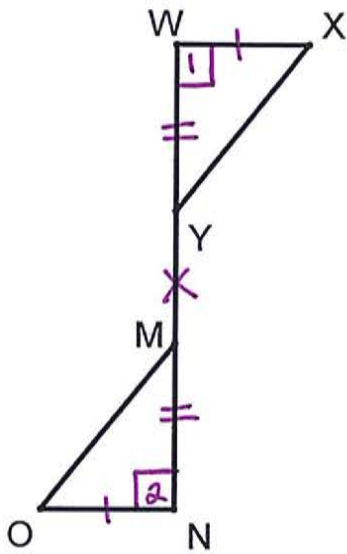
- S
- ① \overline{AB} bisects \overline{CF}
 $\overline{AF} \perp \overline{AB}$
 $\overline{CB} \perp \overline{AB}$
 - ② E (or D) is the mdpt of \overline{CF}
 - ③ $\overline{FE} \cong \overline{CE}$
 - ④ $\angle 1$ & $\angle 2$ are rt \angle s
 - ⑤ $\angle 1 \cong \angle 2$
 - ⑥ $\angle 3 \cong \angle 4$
 - ⑦ $\triangle FAD \cong \triangle CBD$
 - ⑧ $\overline{AD} \cong \overline{BD}$
 - ⑨ E (or D) is mdpt \overline{AB}

- R
- ① Given
 - ② A segment bisector creates a mdpt.
 - ③ A mdpt creates 2 \cong segments
 - ④ \perp lines form rt \angle s
 - ⑤ All rt \angle s are \cong
 - ⑥ Vertical \angle s are \cong
 - ⑦ AAS
 - ⑧ CPCTC
 - ⑨ A mdpt creates 2 \cong segments

Given: \overline{AB} bisects $\overline{CF}, \overline{AF} \perp \overline{AB}, \overline{CB} \perp \overline{AB}$
 Prove: \overline{CF} bisects \overline{AB}

⑨ \overline{CF} bisects \overline{AB} | ⑨ A segment bisector creates a mdpt

11.



S

① $\overline{WN} \perp \overline{WX}, \overline{WN} \perp \overline{ON}$
 $\overline{WM} \cong \overline{NY}, \overline{ON} \cong \overline{XW}$

② $\angle 1$ & $\angle 2$ are rt \angle s

③ $\angle 1 \cong \angle 2$

④ $\overline{MY} \cong \overline{YM}$

⑤ $\overline{WM} - \overline{MY} \cong \overline{NY} - \overline{YM}$
 $\therefore \overline{WY} \cong \overline{NM}$

⑥ $\triangle MON \cong \triangle YXW$

Given: $\overline{WN} \perp \overline{WX}, \overline{WN} \perp \overline{ON}, \overline{WM} \cong \overline{NY},$ ⑦ $\overline{OM} \cong \overline{XY}$
 $\overline{ON} \cong \overline{XW}$

Prove: $\overline{OM} \cong \overline{XY}$

R

① Given

② \perp lines form rt \angle s

③ All rt \angle s are \cong

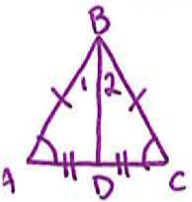
④ Reflexive

⑤ Subtraction

⑥ SAS

⑦ Corresponding Parts of $\cong \triangle$ s are \cong

12. Prove that the median drawn to the base of an isosceles triangle is also the angle bisector of the vertex of the isosceles triangle.



S

① $\overline{AB} \cong \overline{CB}$

② $\angle A \cong \angle C$

③ D is the mdpt of \overline{AC}

④ $\overline{AD} \cong \overline{CD}$

⑤ $\triangle ABD \cong \triangle CBD$

⑥ $\angle 1 \cong \angle 2$

⑦ \overline{BD} is an \angle bisector of $\angle ABC$

R

① An Iso \triangle has 2 \cong sides

② An Iso \triangle has 2 $\cong \angle$ s

③ A median creates a mdpt

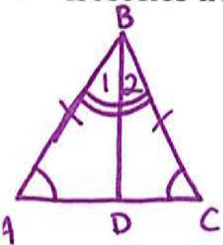
④ A mdpt creates 2 \cong segments

⑤ SAS

⑥ Corresponding Parts of $\cong \triangle$ s are \cong

⑦ An \angle bisector creates 2 $\cong \angle$ s

13. Prove that the angle bisector drawn to the vertex of an isosceles triangle is also a median of the isosceles triangle.



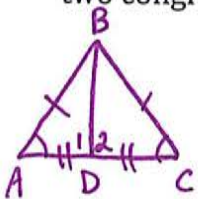
S

- ① $\overline{AB} \cong \overline{CB}$
- ② $\angle A \cong \angle C$
- ③ $\angle 1 \cong \angle 2$
- ④ $\triangle ABD \cong \triangle CBD$
- ⑤ $\overline{AD} \cong \overline{CD}$
- ⑥ D is mdpt of \overline{AC}
- ⑦ \overline{BD} is a median of \overline{AC}

R

- ① An Iso \triangle has 2 \cong sides
- ② An Iso \triangle has 2 \cong \angle s
- ③ An \angle bisector creates 2 \cong \angle s
- ④ ASA
- ⑤ Corresponding Parts of \cong \triangle s are \cong
- ⑥ A mdpt creates 2 \cong segments
- ⑦ A median creates a mdpt.

14. Prove that the median drawn to the base of an isosceles triangle divides the isosceles triangle into two congruent **right** triangles.



S

- ① $\overline{AB} \cong \overline{CB}$
- ② $\angle A \cong \angle C$
- ③ D is mdpt of \overline{AC}
- ④ $\overline{AD} \cong \overline{CD}$
- ⑤ $\triangle ABD \cong \triangle CBD$
- ⑥ $\angle 1 \cong \angle 2$
- ⑦ $\angle 1$ & $\angle 2$ are supplementary
- ⑧ $\angle 1$ & $\angle 2$ are rt \angle s
- ⑨ $\triangle ABD$ & $\triangle CBD$ are rt \triangle s

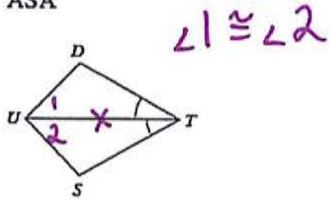
R

- ① An Iso \triangle has 2 \cong sides
- ② An Iso \triangle has 2 \cong \angle s
- ③ A median creates a mdpt
- ④ A mdpt creates 2 \cong segments
- ⑤ SAS
- ⑥ Corresponding Parts of \cong \triangle s are \cong
- ⑦ \angle s that form a straight line are supp.
- ⑧ 2 \cong \angle s that are supp are rt \angle s
- ⑨ A rt \triangle has 1 rt \angle

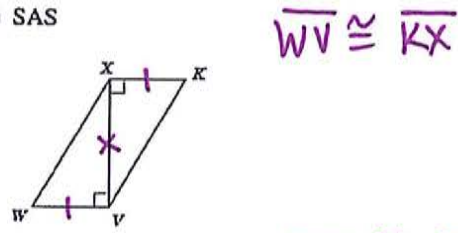
A

State what additional information is required in order to know that the triangles are congruent for the reason given.

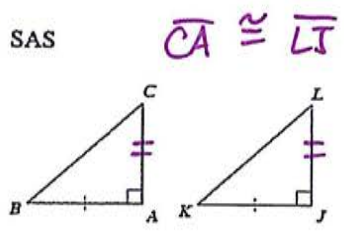
11) ASA



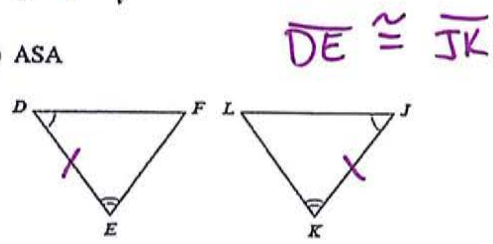
12) SAS



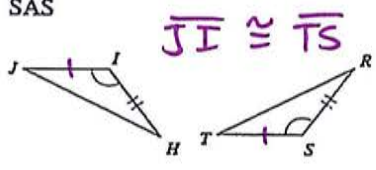
13) SAS



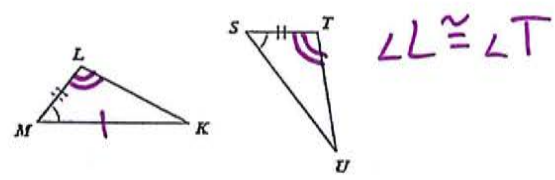
14) ASA



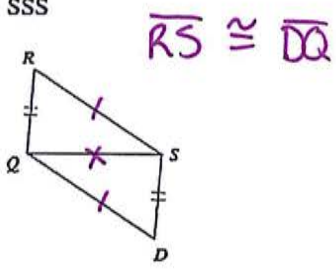
15) SAS



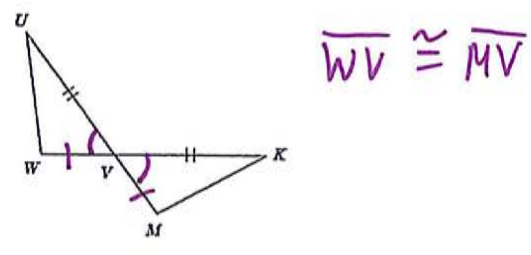
16) ASA



17) SSS



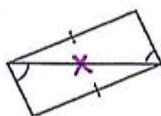
18) SAS



SSS, SAS, ASA, and AAS Congruence

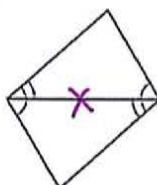
State if the two triangles are congruent. If they are, state how you know.

1)



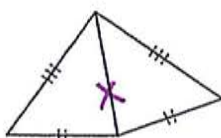
No

2)



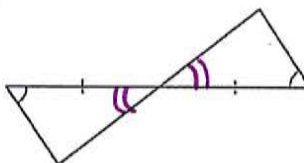
ASA

3)



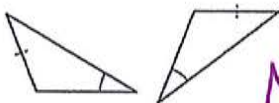
SSS

4)



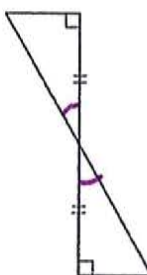
ASA

5)



No

6)



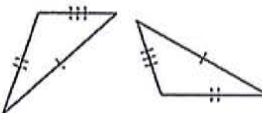
ASA

7)



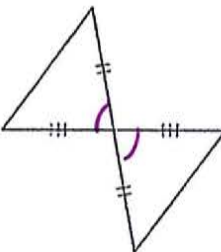
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8)



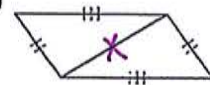
SSS

9)



SAS

10)

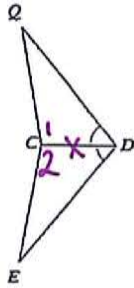


SSS

C

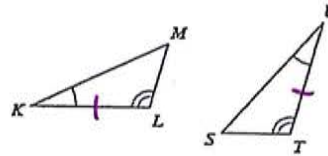
State what additional information is required in order to know that the triangles are congruent for the reason given.

11) ASA



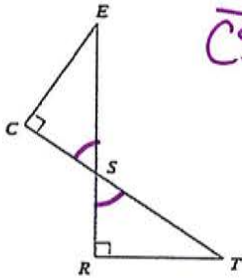
$\angle 1 \cong \angle 2$

12) ASA



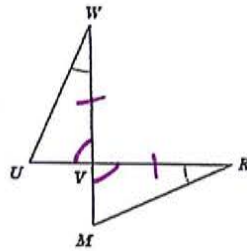
$\overline{KL} \cong \overline{UT}$

13) ASA



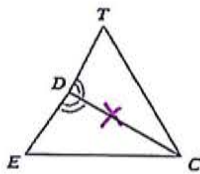
$\overline{CS} \cong \overline{RS}$

14) ASA



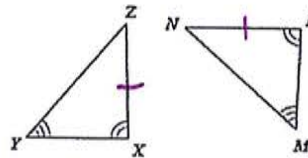
$\overline{WV} \cong \overline{KV}$

15) AAS



$\angle E \cong \angle T$

16) AAS

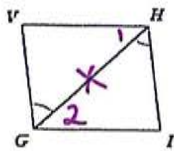


$\overline{ZY} \cong \overline{NL}$

OR

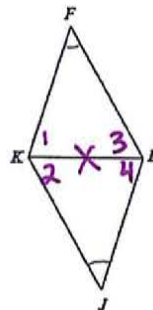
$\overline{ZY} \cong \overline{NM}$

17) ASA



$\angle 1 \cong \angle 2$

18) AAS



$\angle 1 \cong \angle 4$

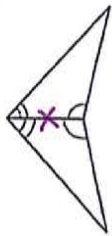
OR

$\angle 2 \cong \angle 3$

ASA and AAS Congruence

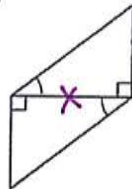
State if the two triangles are congruent. If they are, state how you know.

1)



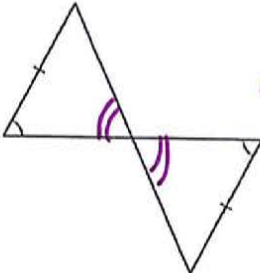
ASA

2)



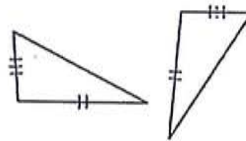
ASA

3)



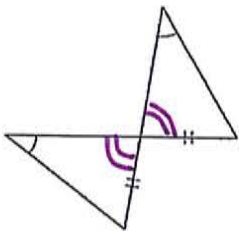
AAS

4)



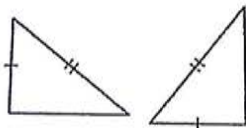
No

5)



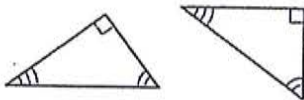
AAS

6)



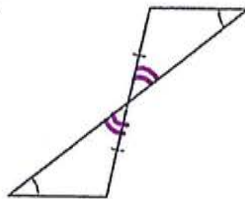
No

7)



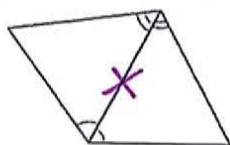
No

8)



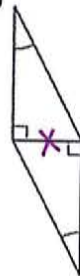
AAS

9)



ASA

10)

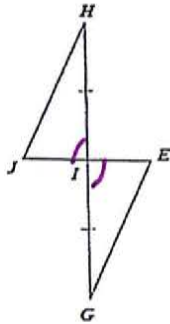


AAS

E

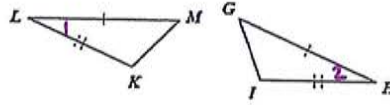
State what additional information is required in order to know that the triangles are congruent for the reason given.

11) SAS



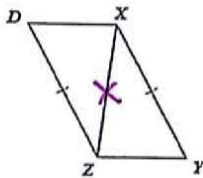
$$\overline{JI} \cong \overline{EI}$$

12) SAS



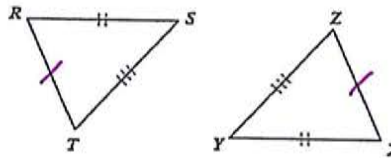
$$\angle L \cong \angle H$$

13) SSS



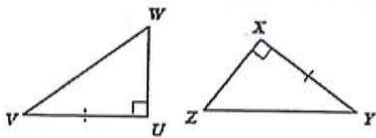
$$\overline{DX} \cong \overline{YZ}$$

14) SSS



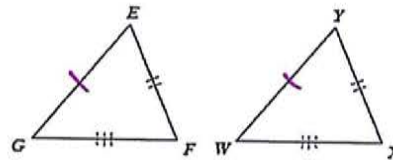
$$\overline{RT} \cong \overline{XZ}$$

15) SAS



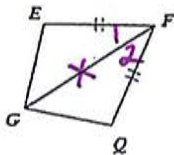
$$\overline{WU} \cong \overline{ZX}$$

16) SSS



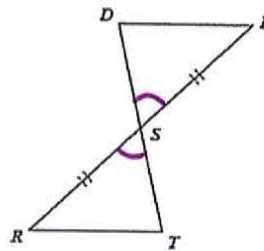
$$\overline{GE} \cong \overline{WY}$$

17) SAS



$$\angle 1 \cong \angle 2$$

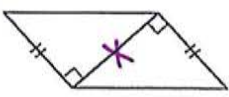
18) SAS

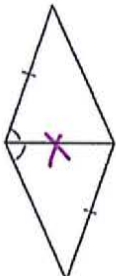


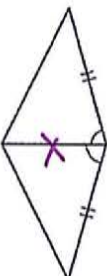
$$\overline{DS} \cong \overline{TS}$$

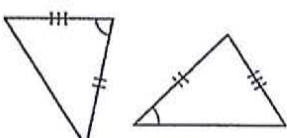
SSS and SAS Congruence

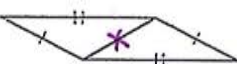
State if the two triangles are congruent. If they are, state how you know.

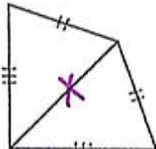
1)  **SAS**

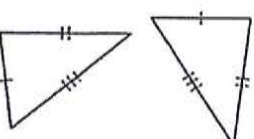
2)  **No**


3)  **SAS**

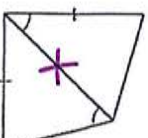
4)  **No**


5)  **SSS**

6)  **SSS**

7)  **SSS**

8)  **SAS**

9)  **No**

10)  **SAS**